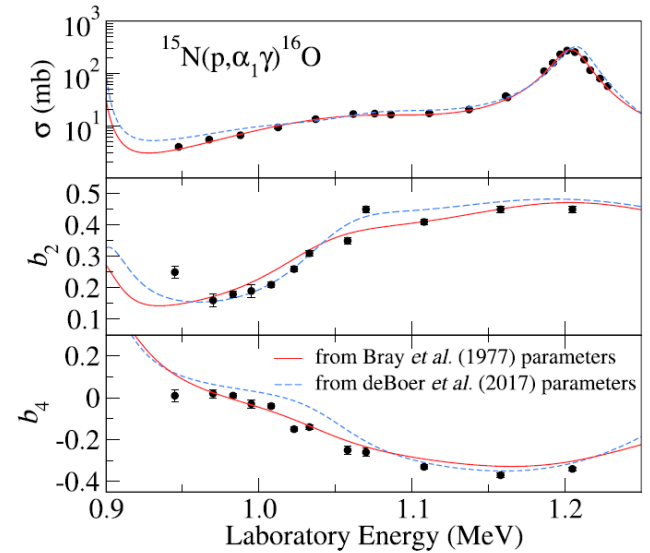


# Secondary $\gamma$ -ray decays from partial-wave $T$ matrix with $R$ -matrix applications to $^{15}\text{N}(p, \alpha_1 \gamma)^{12}\text{C}$



The secondary  $\gamma$  rays emitted following a nuclear reaction are often relatively straightforward to detect experimentally. Despite the large volume of such data, a practical formalism for describing these  $\gamma$  rays in terms of partial-wave  $T$ -matrix elements has never been given.



$$\frac{d\sigma}{d\Omega_\gamma} = \frac{1}{(2I_A + 1)(2I_a + 1)} \frac{\pi}{k_{aA}^2} \sum_k (2k + 1)^{1/2} R_k \frac{P_k(\cos \theta_\gamma)}{4\pi} H_k,$$

$$H_k = \sum_{J_1 J_2 \ell_1 \ell_2 \ell' s_1' s_2'} (-1)^{k+s_2-s_1'} (2J_1 + 1)(2J_2 + 1)[(2\ell_1 + 1)(2I_B + 1)(2s_1' + 1)(2s_2' + 1)]^{1/2} \\ \times (k \ell_1 0 0 | \ell_2 0) W(k I_B s_2' I_B; I_B s_1') W(k s_1' J_2 \ell'; s_2' J_1) W(k J_1 \ell_2 s; J_2 \ell_1) T_{bb s_1' \ell': a A s \ell_1}^{J_1*} T_{bb s_2' \ell': a A s \ell_2}^{J_2}$$

$$R_k(LL'I_B I_C) = (2I_B + 1)^{1/2} (2L + 1)^{1/2} \\ \times (2L' + 1)^{1/2} \times (-1)^{I_B - I_C + L - L' + k + 1} \\ \times (L' L 1 - 1 | k 0) W(LL'I_B I_B; k I_C).$$

The partial-wave formalism is applicable when  $R$ -matrix methods are used to describe the reaction in question. We have supplied the needed framework, and it is demonstrated by the application to the  $^{15}\text{N}(p, \alpha_1 \gamma)^{12}\text{C}$  reaction through the JINA  $R$ -matrix code AZURE2.

